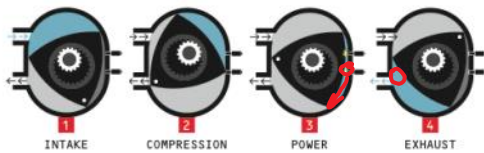


## THE WANKEL ROTARY IN DETAIL



## Advantages:

- Very compact (a lot of power in a small, light package)
- Can get to high RPM (because the mass is always moving in same direction, a piston goes back and forth)
- Very smooth (low vibration)
- High power delivery (for every rotation of crank shaft there is combustion, in piston 1 combustion for every two rotations)

## Disadvantages:

- Low thermal efficiency / not all fuel combusts (shape of combustion chamber and low compression ratio)
  - lower fuel efficiency and higher emissions
- Hard to keep sealed (big temp gradient since combustion is always on one side)
- Burns oil (by design, keeps engine lubed and helps make the seal between chambers)
- Poor mileage / Emissions are bad (due to above items)

Entropy:

$$2^{\text{nd}} \text{ Law: } \Delta S_{\text{universe}} \geq 0$$

$$\left[ \text{for a complete cycle of reversible processes} \right]$$

$$\Delta S = 0$$

Change in Entropy:

$$\Delta S = \frac{Q}{T}$$

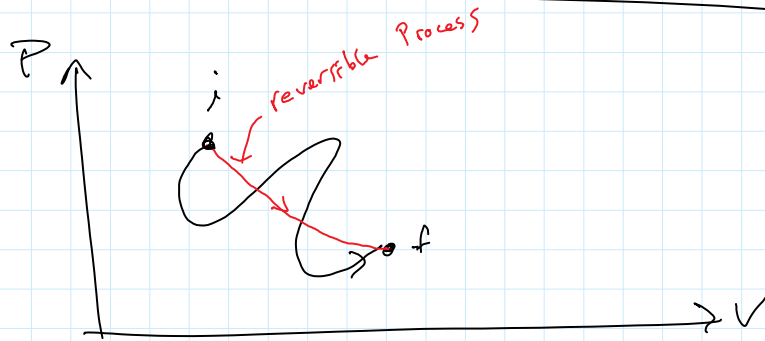
Reversible process  
at constant temp

$$\Delta S > 0 \quad \text{when heat flows into system}$$

$$\Delta S < 0 \quad \text{when heat flows out of system}$$

if  $T$  is not constant:

$$\Delta S = \int \frac{dQ}{T}$$



Entropy example

1) constant temp

Ice cube melts in a large room at  $20^\circ\text{C}$

0.1 kg ice at  $0^\circ\text{C}$   
becomes 0.1 kg of water at  $0^\circ\text{C}$

find  $\Delta S$  for the ice

find  $\Delta S$  for the room

find  $\Delta S$  for the universe (room + ice)

For ice:

$$\Delta S = \frac{Q}{T}$$

$$Q = m L_f = (0.1)(3.35 \times 10^5) \\ = 3.35 \times 10^4 \text{ J}$$

$$T = 0^\circ\text{C} \rightarrow 273 \text{ K}$$

$$\Delta S_{\text{ice}} = \frac{+ 3.35 \times 10^4 \text{ J}}{273 \text{ K}} = 122.7 \frac{\text{J}}{\text{K}}$$

$$\Delta S_{\text{room}} = \frac{- 3.35 \times 10^4 \text{ J}}{293 \text{ K}} = -114.3 \frac{\text{J}}{\text{K}}$$

$$\Delta S_{\text{universe}} = \Delta S_{\text{ice}} + \Delta S_{\text{room}} = 122.7 - 114.3$$

$$= + 8.4 \frac{\text{J}}{\text{K}}$$

2) heat water

heat 1 kg of water from  $0^\circ\text{C} \rightarrow 100^\circ\text{C}$

Find  $\Delta S$  for the water

$$\Delta S = \int \frac{dQ}{T}$$

$$Q = c m \Delta T$$

$$dQ = c m dT$$

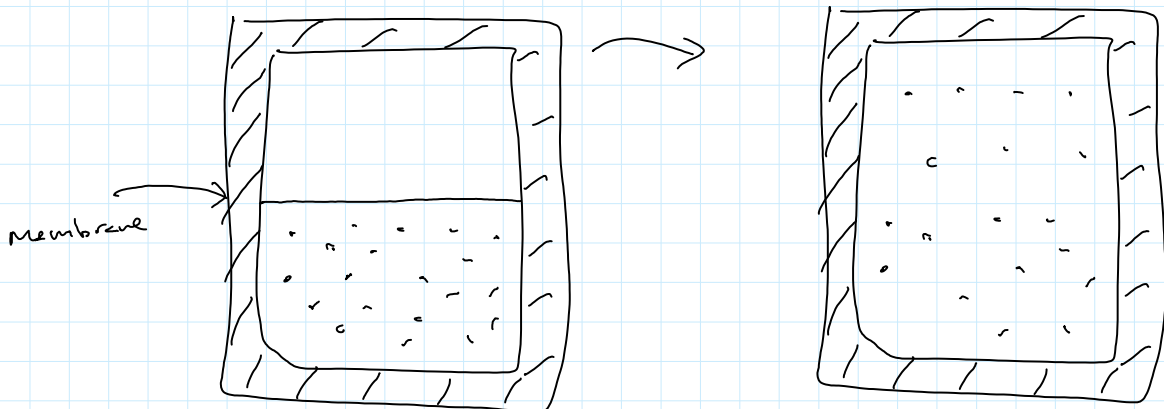
$$= c m \int_{T_i}^{T_f} \frac{dT}{T}$$

$$= c m \ln\left(\frac{T_f}{T_i}\right)$$

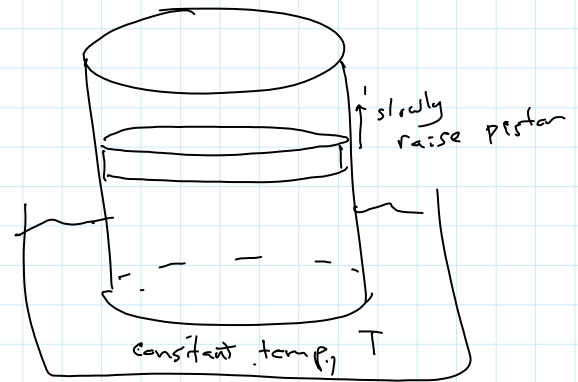
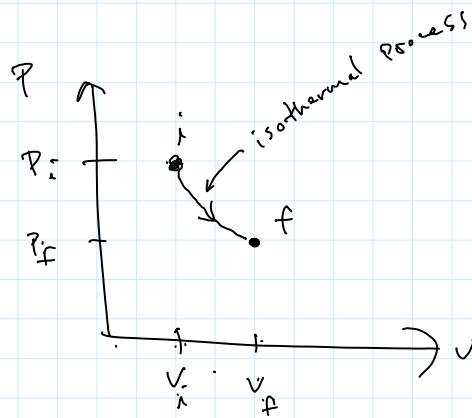
$$= (4186)(1 \text{ kg}) \ln\left(\frac{373 \text{ K}}{273 \text{ K}}\right)$$

$$= 1.31 \times 10^3 \frac{\text{J}}{\text{K}}$$

3) irreversible process



$$T_i = T_f = T$$



$$V_f = 2V_i$$

$$P_f = \frac{1}{2}P_i$$

	For the Free expansion	For our isothermal Process
Q	0	Not zero
W	0	Not zero
$\Delta E_{\text{int}}$	0	0

use  $\Delta S = \frac{Q}{T}$  constant T

Need to figure out Q:

$$\Delta E_{\text{int}} = Q + W_{\text{on}}$$

$$Q = -W_{\text{on}} \quad \text{or} \quad Q = W_{\text{by}}$$

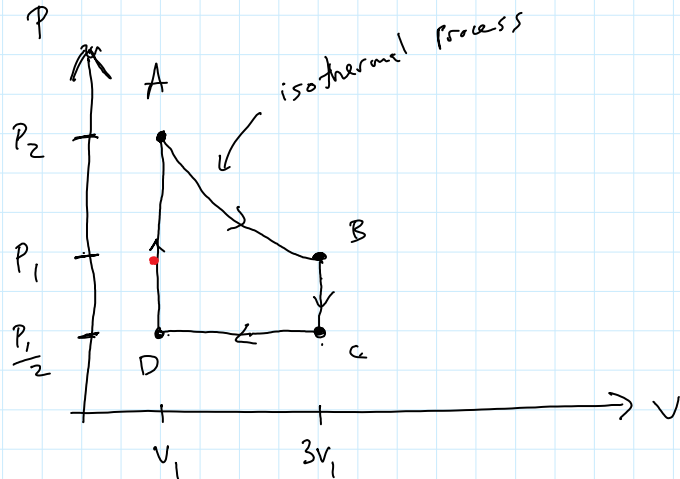
$$W_{\text{by}} = nRT \ln \frac{V_f}{V_i} \quad (\text{isothermal process})$$

$$= nRT \ln 2$$

$$\Delta S = \frac{Q}{T} = \frac{nRT \ln 2}{T} = nR \ln 2$$

PV Diagram Problem: Heat Engine

- given:
- monatomic ideal gas
  - $T_A = 400^\circ\text{C}$
  - $P_2 = 500 \text{ kPa}$
  - 2 moles



1) Find the efficiency of this engine.

2) compare to a Carnot engine operating between the max and min temperatures.

	A	B	C	D
P	$5 \times 10^5 \text{ Pa}$	$1.67 \times 10^5 \text{ Pa}$	$8.34 \times 10^4 \text{ Pa}$	$8.34 \times 10^4 \text{ Pa}$
V	$0.0224 \text{ m}^3$	$0.0671 \text{ m}^3$	$0.0671 \text{ m}^3$	$0.0224 \text{ m}^3$
T	$400^\circ\text{C} \rightarrow 673 \text{ K}$	$673 \text{ K}$	$336.5 \text{ K}$	$112.2 \text{ K}$
$E_{\text{int}}$	$16,786 \text{ J}$	$16,786 \text{ J}$	$8393 \text{ J}$	$2798 \text{ J}$

Green = given info

$$PV = nRT \Rightarrow V = \frac{nRT}{P}$$

$$E_{\text{int}} = \frac{3}{2} nRT \quad (\text{monatomic ideal gas})$$

1st) Find all info for A

$$2nd) \quad V_A = \frac{1}{3} V_B$$

$$V_B = V_C$$

$$V_A = V_D$$

$$T_A = T_B$$

3<sup>rd</sup>) Find  $P_B$

$$P_C = \frac{1}{2} P_B$$

$$P_C = P_D$$

4<sup>th</sup>) Find  $T_C$  and  $T_D$

Path

	$Q$	$W_{on}$	$\Delta E_{int}$
$A \rightarrow B$	+12,294 J	-12,294 J	0
$B \rightarrow C$	-8393 J	0	-8393 J
$C \rightarrow D$	-9323 J	$W = -P\Delta V$ +3728 J	-5595 J
$D \rightarrow A$	+13,988 J	0	+13,988 J
Net			0

$$\Delta E_{int} = Q + W_{on}$$

$$A \rightarrow B \quad \text{isothermal:} \quad W_{on} = nRT \ln \frac{V_i}{V_f}$$

5<sup>th</sup>) Find  $\Delta E_{int}$

6<sup>th</sup>) Find  $W$  for each

7<sup>th</sup>) use  $\Delta E = Q + W$  to get  $Q$

$$e = \frac{\text{Net work done by the gas}}{Q_{in}}$$

$$= \frac{(12,294 \text{ J} - 3728 \text{ J})}{(12,294 + 13,988)} = 0.33$$

← Positive Q is only

Find  $e$  for a Carnot engine between these temp extremes:

$$e = 1 - \frac{T_c}{T_H} = 1 - \frac{112.2}{673} = 0.83$$