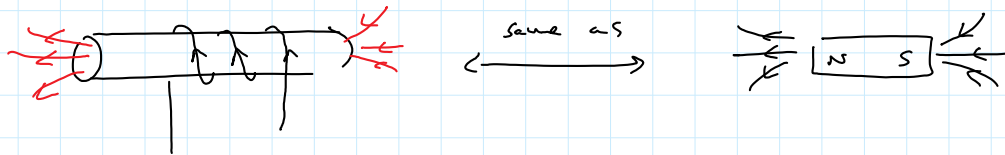
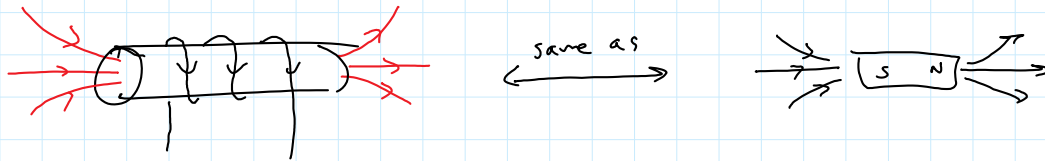
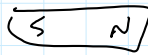
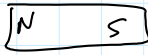
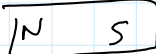

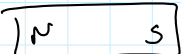
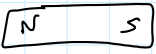
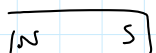
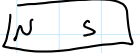
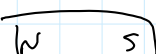
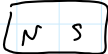

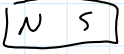


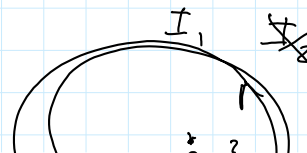
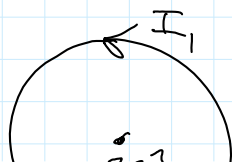
**Goals for the Lecture:**

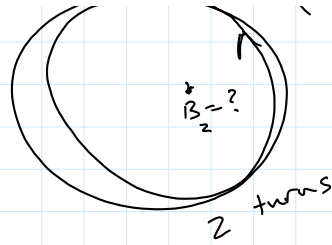
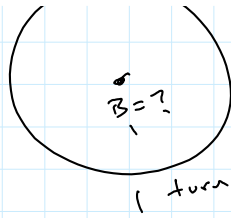
- 1) Understand what the magnetic field looks like in and around a solenoid, including what makes an ideal solenoid
- 2) Be able to use Ampere's Law to calculate the magnetic field inside an ideal solenoid
- 3) Understand Gauss's Law for Magnetism, that there are no magnetic monopoles (at least, none have been found in nature)
- 4) Have a conceptual understanding of how permanent magnets work
- 5) Focus on ferromagnetism

Worksheet  
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- |    |   |   |                  |
|----|---|---|------------------|
| A) |  |  | Repel - strong   |
| B) |  |  | Attract - Medium |
| C) |  |  | Attract - Strong |
| D) |  |  | Attract - med    |
| E) |  |  | Attract - weak   |
| F) |  |  | Repel - weak     |



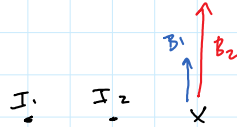


$$\vec{B} = \frac{\mu_0 I}{4\pi} \int \frac{d\vec{s} \times \vec{r}}{r^2}$$

Worksheet

Top:

A)



$$\vec{B} = \vec{B}_1 + \vec{B}_2 = \frac{\mu_0 I}{2\pi r_1} + \frac{\mu_0 I}{2\pi r_2}$$

$r_1 = 2\sqrt{2}$



$$\oint \vec{B} \cdot d\vec{s} = \mu_0 I$$

$$B \cdot 2\pi r = \mu_0 I$$

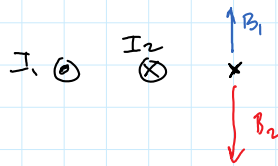
$$B = \frac{\mu_0 I}{2\pi r} \quad \text{long, straight wire}$$

B)



$$\vec{B} = \vec{B}_1 + \vec{B}_2 = \frac{\mu_0 I}{2\pi r} + \frac{\mu_0 I}{2\pi r} = \frac{\mu_0 I}{\pi r}$$

C)



$$B = \frac{\mu_0 I_1}{2\pi (2r_2)} - \frac{\mu_0 I_2}{2\pi r_2} \quad \uparrow +$$

bottom: Force on F due to G and H:

Find B from H at location of F:

$$\mu_0 I_H \quad \mu_0 \perp I$$

Find  $B$  from  $H$  at location of  $F$ :

$$B_H = \frac{\mu_0 I_H}{2\pi r} = \frac{\mu_0 (2)}{2\pi (2)} = \frac{\mu_0}{2\pi} \text{ out of page}$$

Find Force on  $F$  due to  $B_H$ :

$$\vec{F}_{H \rightarrow F} = I \vec{L} \times \vec{B} = I_L B_H = (6) L \frac{\mu_0}{2\pi} = \left(\frac{3\mu_0}{\pi}\right) L \downarrow \text{ to bottom of page}$$

Do the same for  $G$  and  $F$  and add

$$\vec{F}_{\text{Net}} = \vec{F}_{H \rightarrow F} + \vec{F}_{G \rightarrow F}$$

permanent magnets:

most common type: Iron

Ferromagnetic

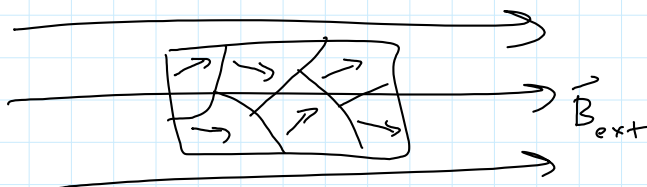
Iron



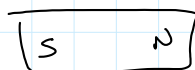
magnetic domain

randomly oriented domains, so  
No Net magnetic moment

turn on an external  $B$  field:



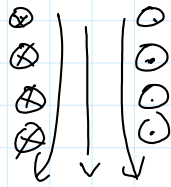
Iron acts like a magnet



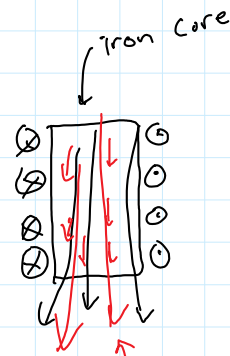
electro-magnets

iron core

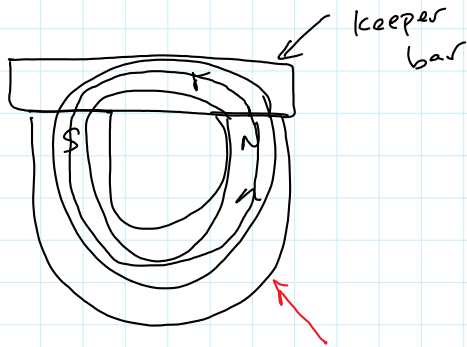
# electro-magnets



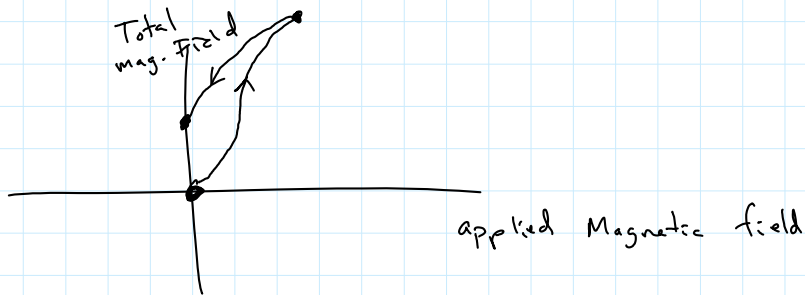
OR  
with an  
iron  
core



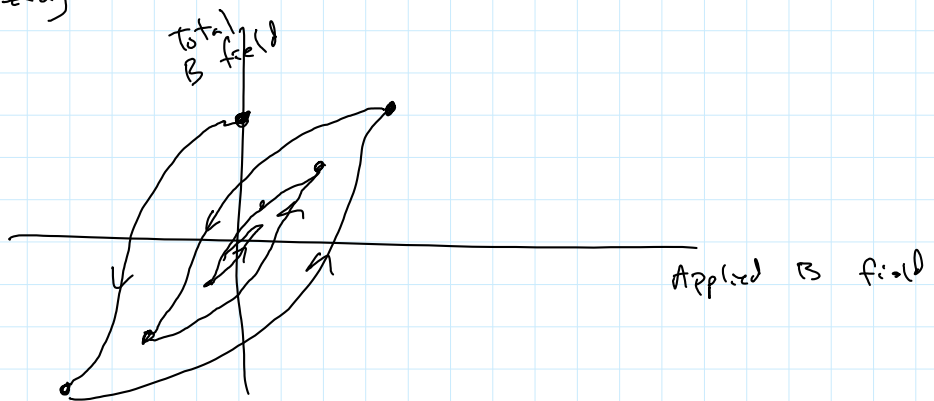
extra  
magnetism  
due to  
domain  
alignment



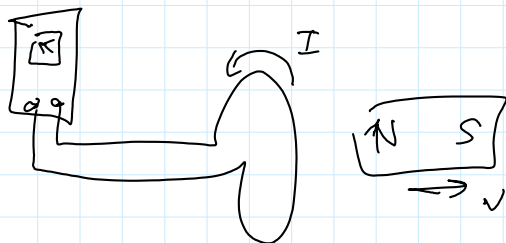
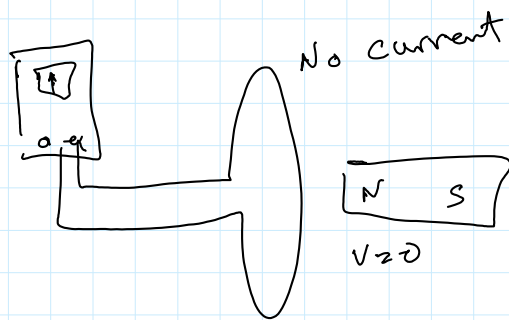
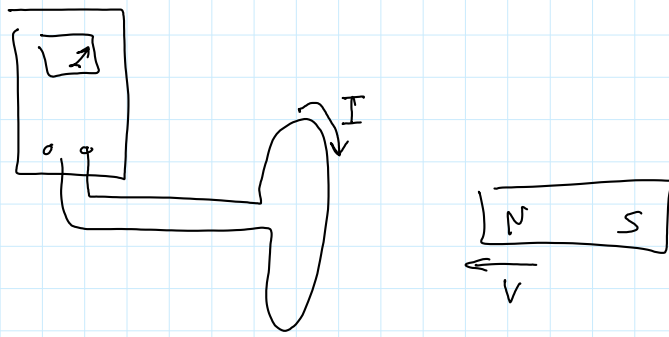
## Magnetizing:



## Demagnetizing



# Induction:

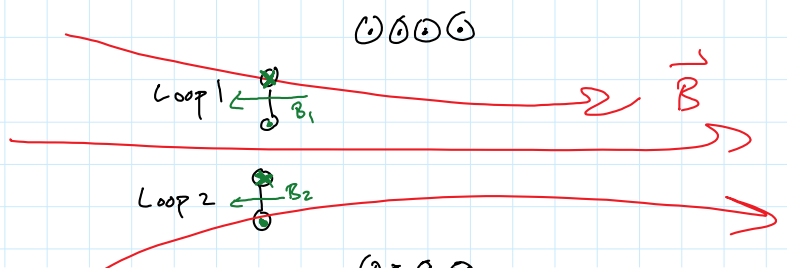


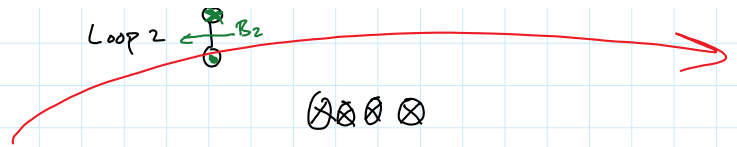
$$\Phi_B = \int \vec{B} \cdot d\vec{A}$$

worksheet  
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- 1) A) 1) before switch is closed  $\rightarrow$  No  
 Just after  $\rightarrow$  yes  
 Long time after  $\rightarrow$  No

2)





3)

$$V = IR$$

$$\frac{I_1}{I_2} = \frac{\frac{V_1}{R_1}}{\frac{V_2}{R_2}} = \frac{V_1}{V_2} \frac{R_2}{R_1}$$

$$\text{So, } V_1 = V_2$$

B) emf  $\rightarrow$  yes

current  $\rightarrow$  No

C) emf  $\rightarrow$  yes

current  $\rightarrow$  No

Faraday's Law:  $\mathcal{E} = - \frac{d\Phi_B}{dt}$  single loop?

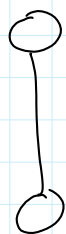
$$\Phi_B = \int \vec{B} \cdot d\vec{A}$$

$$\mathcal{E} = - N \frac{d\Phi_B}{dt}$$

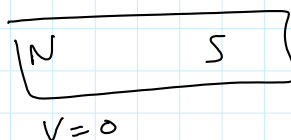
$N = \#$  of turns or loops

Worksheet  
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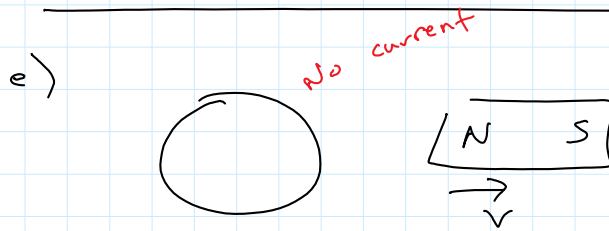
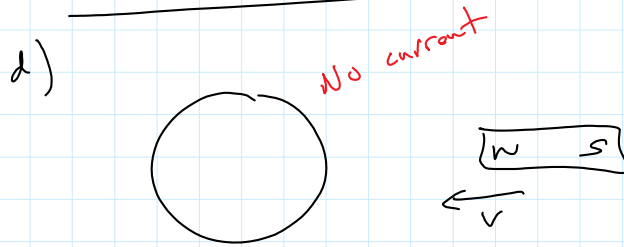
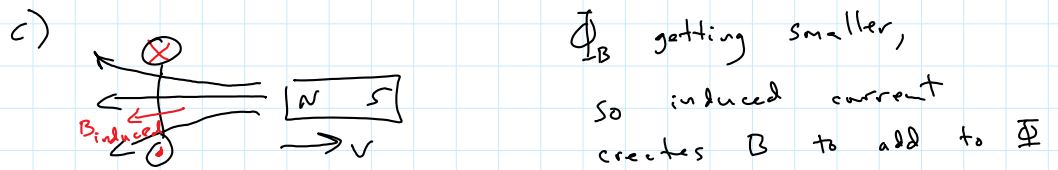
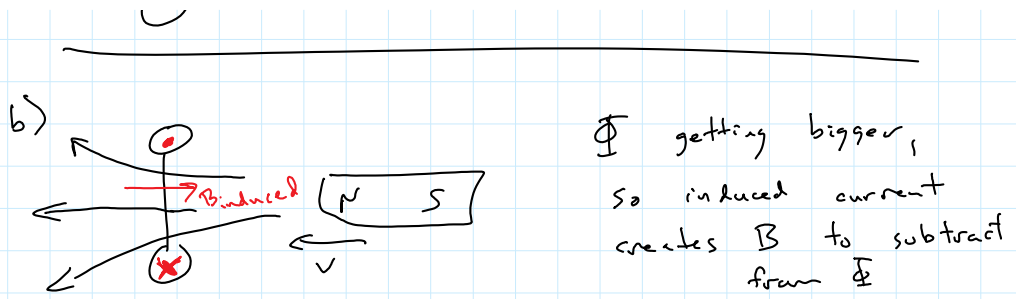
a)



No  
Current



$V = 0$



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